

# Rational Number Project

Initial Fraction Ideas Lesson 13: Overview	Materials
Students continue practicing showing fractions with chips. They determine several units that can be used to model a fraction and what units can't be used to model fractions.	<ul style="list-style-type: none"> <li>∞ Chips for students and teacher</li> <li>∞ Student Page A</li> </ul>

Teaching Actions	Comments
<p><b>Warm Up</b></p> <p>Order these fractions from smallest to largest. Be ready to explain your thinking.</p> $\frac{2}{3} \quad \frac{2}{5} \quad \frac{5}{6} \quad \frac{2}{7} \quad \frac{5}{10}$ <p><b>Large Group Introduction</b></p> <ol style="list-style-type: none"> <li>Present this picture: <div data-bbox="337 1066 803 1123" data-label="Figure"> </div> <p>Say: I want to model this fraction using chips as my unit instead of paper. What fraction is shown? If I use 12 chips as my unit, tell me the steps to show <math>\frac{3}{4}</math>.</p> </li> <li>Vary the unit by asking students what they'd do if you used 4 chips as a unit and then 20 chips as the unit. Ask how these chip models are alike and how they are different.</li> <li>Summarize by showing that to show <math>\frac{3}{4}</math> you used 4, 12, and 20 chips. Ask if you could have used other sets of chips as your unit.</li> <li>Ask students to show the fraction <math>\frac{2}{3}</math> with chips. Allow them to choose the unit. Ask students to tell you what units they used.</li> </ol>	<p>Flexibility of unit is emphasized with chips, as was done with the fraction circles. Students should know that to show <math>\frac{2}{3}</math>, a number of sets can be used - 3 chips, 6 chips, 9 chips...</p> <p>Regardless of the number of chips, the same action to model the fraction is used. (Partition into 3 equal groups and show 2 of the 3 groups tan.)</p>

## Teaching Actions

5. Present this chart to students. Ask them to list 3 possible units that they could use as the unit for each fraction.

Fraction	Units you could use
$\frac{4}{5}$	
$\frac{2}{7}$	
$\frac{3}{4}$	
$\frac{1}{2}$	

6. Conclude the introduction by asking students to show the fraction  $\frac{3}{4}$  with 14 chips. Discuss why this cannot be done. Ask for units that cannot be used to show the fractions in the above chart. [Make another column in the table].

## Small Group/Partner Work

7. Assign Student Page A as a way to practice showing fractions with chips.

## Wrap Up

8. End this lesson with some problem solving using chips. Present these two problems and ask students to solve them using chips. Then have a few students share how they solved the problems.

Joe ate 4 jellybeans. This was  $\frac{1}{5}$  of all the jellybeans in the bag. How many jellybeans were in the bag?

Marta ate 18 jellybeans. This was  $\frac{3}{5}$  of all the jellybeans in the bag. How many jellybeans in the bag?

## Comments

The possible units are multiples of the denominator.

$\frac{4}{5}$  5, 10, 15, 20...  
are all possible units.

Look closely at Student Page A. This page provides some problem solving for the students.

This page will need some initial guidance. Do the first 4 or 5 rows together. Students can finish the rest individually, in pairs or small groups.

To solve the challenges students have to reconstruct the unit. If 4 jellybeans equals 1-fifth, there must be 20 jellybeans in the bag as the whole unit is made up of 5-fifths.

If 18 equals 3-fifths, then 1-fifth is 6 jellybeans. Therefore, 5-fifths would be 30 jellybeans.

## Translations:

- ∞ Picture to manipulative to verbal
- ∞ Written symbols to manipulative

Order these fractions from smallest to largest. Be ready to explain your thinking.

$$\frac{2}{3}$$

$$\frac{2}{5}$$

$$\frac{5}{6}$$

$$\frac{2}{7}$$

$$\frac{5}{10}$$

Directions:

Use chips and complete the chart. The first one is done for you.

Number of chips in units	Number of equal-size parts	Number of chips in each equal-size part	Number of parts tan	Fraction of parts tan
15	3	5	2	$\frac{2}{3}$
15				$\frac{2}{5}$
9				$\frac{1}{3}$
21	7		5	
21		7		$\frac{2}{3}$
		2		$\frac{4}{5}$
10	2		1	
18	6		4	
18				$\frac{2}{3}$
18	9		4	
				$\frac{2}{4}$
12	4		2	
12	2		1	